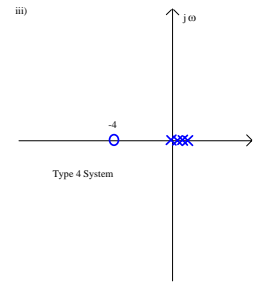
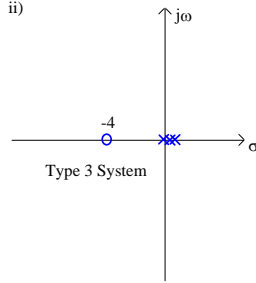
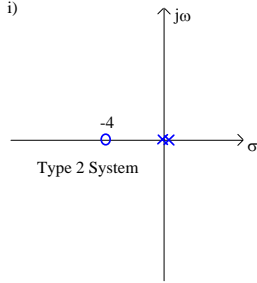
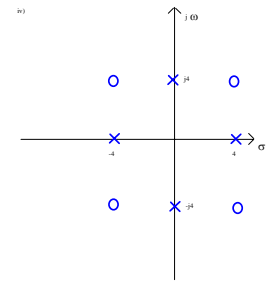
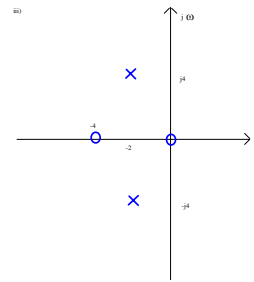
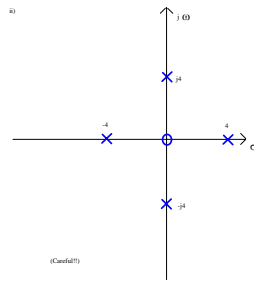
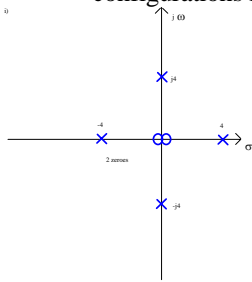


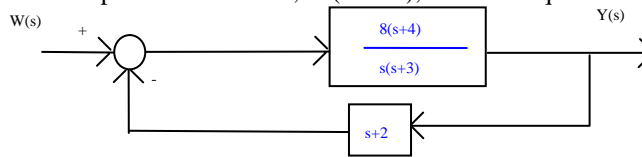
1. a) Sketch the root locus for the following open-loop pole-zero configurations for  $GH(s)$ :



b) Use the property of symmetry (if applicable) to help you sketch the root locus for the following open-loop pole-zero configurations for  $GH(s)$ :



2. a) Note that we can still use the error analysis done in class today even if we don't have a unity feedback system by finding an equivalent unity feedback system,  $G_{eq}/(1+G_{eq})$ , that produces the same closed-loop transfer function. Then, we can just use  $G_{eq}$  to determine system type,  $ess$ , etc. Find  $G_{eq}$  for the following NON-UNITY feedback system (hint: find the closed-loop transfer function,  $G/(1+GH)$ , and set it equal to  $G_{eq}/(1+G_{eq})$  and solve for  $G_{eq}$ )



- b) Find the type number,  $K_p$ ,  $K_v$ ,  $K_a$ , and  $ess|_{step}$ ,  $ess|_{ramp}$ , and  $ess|_{parabola}$  for the following unity feedback systems with  
 i)  $G(s)=5(s+2)/[s(s+4)]$     ii)  $G(s)=5(s+2)/[(s+4)^2]$     iii)  $G(s)=5(s+2)/[s^2(s+4)]$
- c) Suppose I used the input  $w(t)=10u(t)+2r(t)$  to the unity-feedback systems described in part 2b). What is the new steady-state error (Remember what Kyle Buchanan said in class about linearity!)?
- d) Suppose I used the input  $w(t)=10u(t)+20u(t-3)+2r(t)+5r(t-8)$  to the unity-feedback systems described in part 2b). What is the new steady-state error (be careful)?
- e) For the system shown below, design the simplest compensator possible so that the following system has  $ess|_{step} < 1/10$  and a settling time of less than 0.1 seconds and NO OVERSHOOT. (Hint: Try  $G_c(s)=K$  and sketch root locus. Find a  $K$  that meets both the transient and  $ess$  specs. Note that your closed-loop system is a simple 1<sup>st</sup> order system and not a classic second-order system)
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- f) Repeat part e) with the specs that  $ess|_{step} = 0$  and the closed-loop poles  $s = -2+j$  and  $-2-j$ . (Hint: Recall that inserting an integrator ( $1/s$ ) increases the system type number by one. Think about what the minimum system type you need to meet  $ess$  specs and lump the  $1/s$  term in with  $G(s)$  and sketch the new root locus. If the root locus of  $G(s)/s$  passes thru the point  $s_1 = -2+j$ , then use the magnitude condition to find the appropriate  $K$ .  $G_c(s)$  would then be  $K/s$ )
- g) What is the settling time and percent overshoot for the compensated system in 2f)?